



Building Materials

Lecture 2

Basic physical properties

= related to **mass** and **volume** of the material

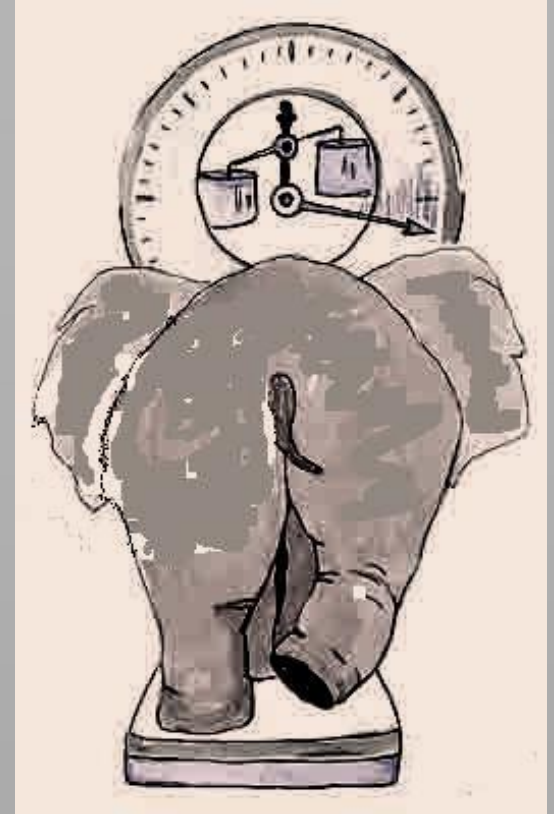
- **matrix density**
- **bulk density**
- **porosity**
- **granulometry**
- **fineness**



Mass

Choice of suitable scales:

- capacity (max. range)
- readability





Scales

Mechanical , digital

- **analytical** (readability 10^{-4} g, capacity to 200g)
- **milligram** (0,01 g)
- **laboratory** (0,1 - 0,2 g, 200 – 1000 g)
- **commercial** (2 - 5 g, 5 - 25 kg)
- **industrial** (hundreds of kg)

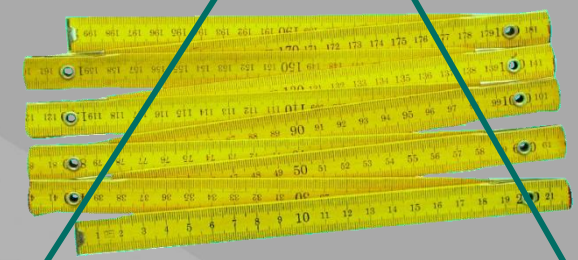
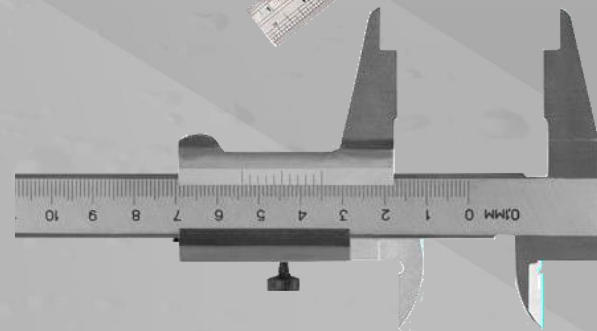
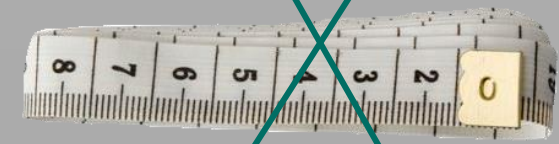
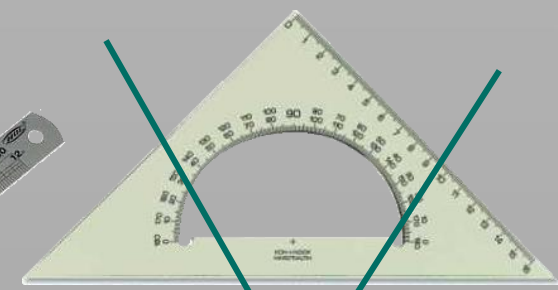




Size

Length measuring devices: calibrable

- **Steel rule**
- **Steel measuring tape**
- **Calliper**
- **Micrometer**
- **Sieves**





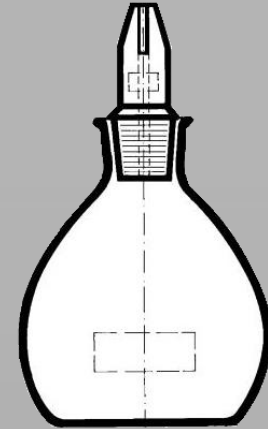
Volume

Solids:

- Calculation based on dimensions
- Immersion in liquid
 - graduated cylinder
 - pycnometre
 - hydrostatic scales

Liquids:

- volumetric flask
- pipette
- burette



Bulk density \times

Density
(matrix density)

$$\rho = \frac{m}{v}$$

$$[\text{kg.m}^{-3}]$$



Bulk density

$$\rho_v = \frac{m}{V_s + V_p}$$

m ... mass of material

V_s ... volume of solid material

V_p ... volume of voids in material

Density

(specific gravity)

$$\rho = \frac{m}{V_s}$$

m ... mass of material

V_s ... volume of solid material



Bulk density x **Density**

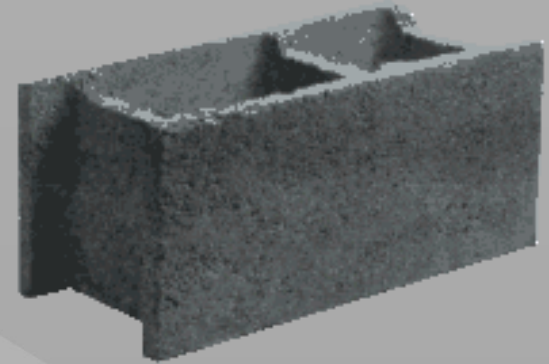
AAC

(aerated autoclaved concrete)

concrete

$$\rho = 2400 \text{ kg.m}^{-3}$$

$$\rho = 2500 \text{ kg.m}^{-3}$$



$$\rho_v = 500 \text{ kg.m}^{-3}$$

$$\rho_v = 2400 \text{ kg.m}^{-3}$$



Bulk density determination

$$\rho_v = \frac{m}{V_s + V_p}$$

- mass m by weighing
- volume ($V_s + V_p$)
 - counting from sizes (regular shape)
 - in graduated cylinder
 - by hydrostatical balance

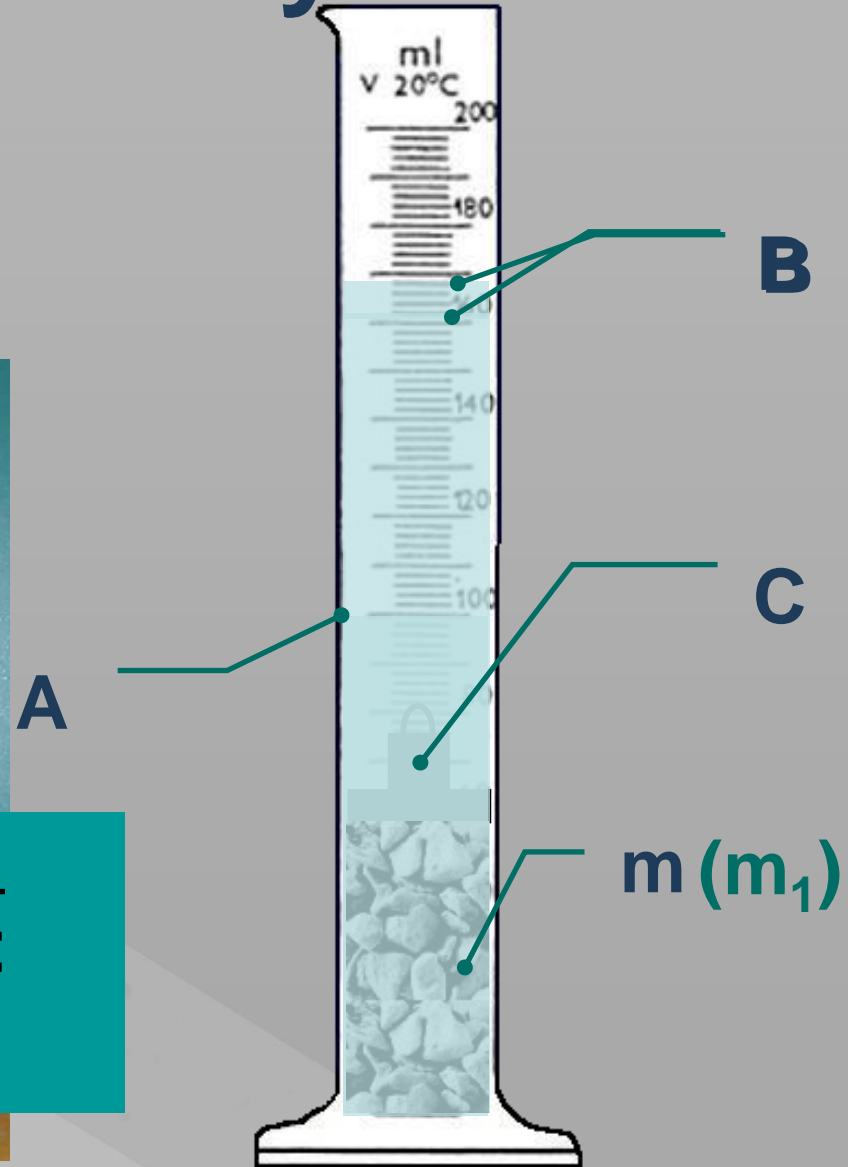


Bulk density determination: By graduated cylinder

$$\rho_v = \frac{m}{B - A}$$

$$\rho_v = \frac{m}{B - A + \frac{(m_1 - m)}{\rho_{\text{water}}}}$$

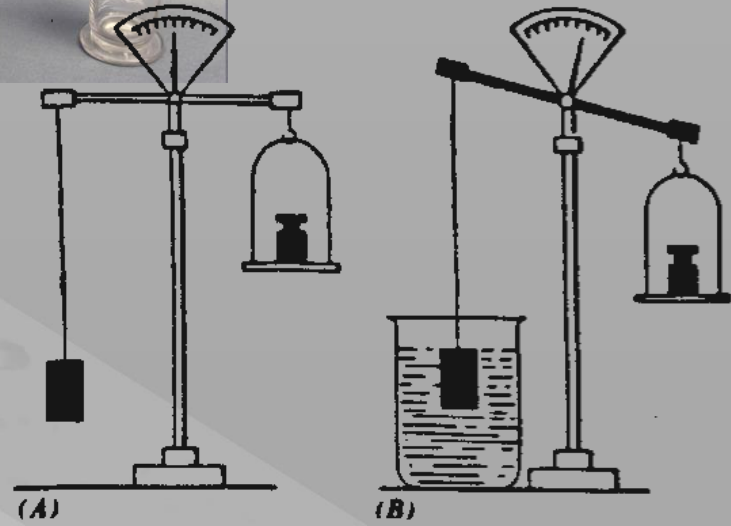
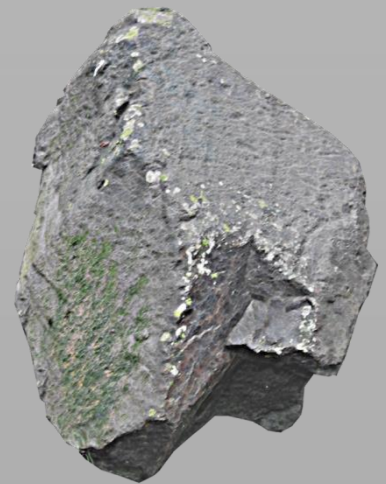
$$\bullet \rho_v = \frac{m}{B - A + \frac{(m_1 - m)}{\rho_{\text{water}}} - C}$$





Bulk density determination: By hydrostatical balance

- irregular shape \rightarrow volume?

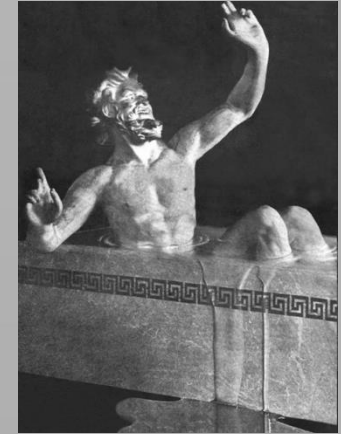




Bulk density determination: By hydrostatical balance

Archimedes principle:

„Any object, wholly or partially immersed in a fluid, is buoyed up by a force equal to the weight of the fluid displaced by the object.“



- from that difference the volume of the displaced water can be count (its density is known)
- mass of material, weighted under water is lower than that weighted in the air

$$\rho_{H_2O} = \frac{m}{V}$$

volume of displaced water = volume of material



Bulk density determination: By hydrostatical balance

$$\rho_{H_2O} = \frac{m}{V} \rightarrow$$

$$V = V_{H_2O} = \frac{m}{\rho_{H_2O}}$$

$$V = \frac{m_{in\ air} - m_{in\ water}}{\rho_{H_2O}}$$

$$\rho_V = \frac{m_{in\ air}}{V} = \frac{m_{in\ air}}{m_{in\ air} - m_{in\ water}} \rho_{H_2O}$$



Bulk density determination: By hydrostatical balance

$$\rho_a = \rho_w \frac{M_4}{M_1 - (M_2 - M_3)}$$

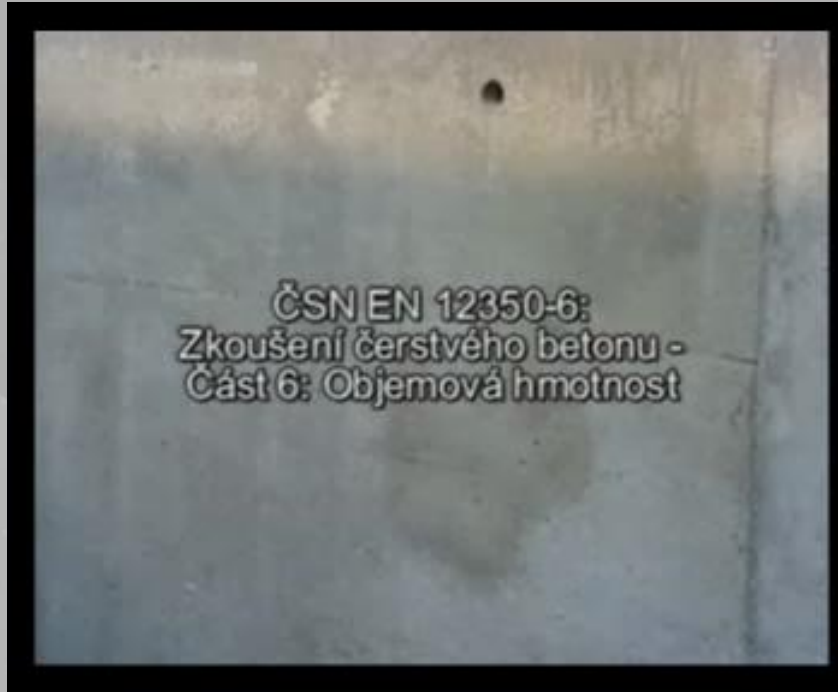
- M_1 mass of the sample in the air
 - *wet and dried on the surface (aggregates)*
 - *dry (concrete)*
- M_2 mass of the sample incl. the basket under water
- M_3 mass of the empty basket under water
- M_4 mass of dry sample
- ρ_w water density at testing temperature





Bulk density of fresh concrete

- EN 12350-6:2009 Testing fresh concrete. Density





Bulk density of building materials





Specific gravity (matrix density) determination

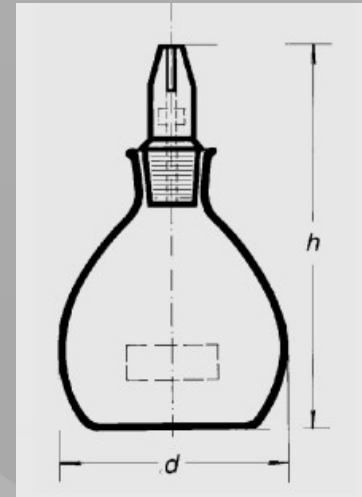
$$\rho = \frac{m}{V_s}$$

- **Mass m** by weighing
- **Volume V_s** by pycnometer
 - material have to be finely grounded to avoid pores !



Pycnometer

- (glass) bottle with a close-fitting stopper with a capillary tube through it allowing excess liquid to escape
- the volume of the liquid in the pycnometer is always the same
- allows repeated obtaining a given volume of liquid with a high accuracy





Determination of density by pycnometric method



m_1

m_2

m_3

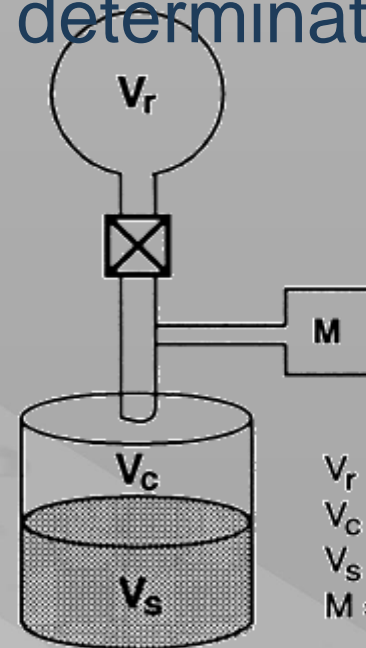
m_4

$$\rho = \frac{(m_2 - m_1) \times \rho_k}{(m_2 - m_1) + m_4 - m_3}$$



Helium pycnometer

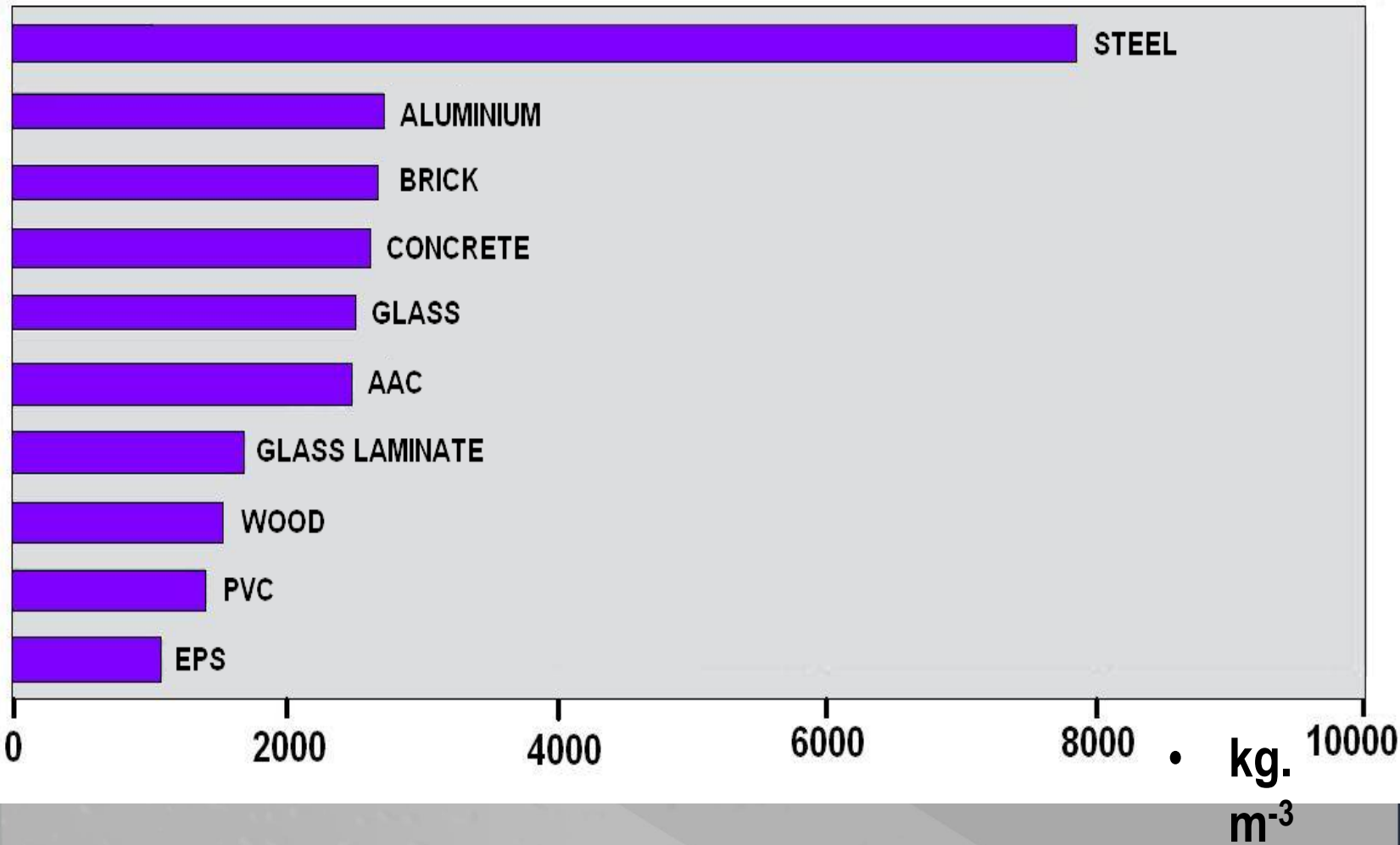
- the size of helium atoms is very small
- helium, under precisely-known pressure, is used to fill small voids within a specimen
- the volume change of helium in a constant volume chamber allows determination of solid volume



V_r = Reference volume
 V_c = Cell volume
 V_s = Sample volume
 M = Manometer

Density of building materials

Building materials





Porosity

- ratio of the volume of the pores to the total volume of the material

$$p = 1 - \frac{V_s}{V} = 1 - \frac{\rho_v}{\rho} \cdot (100)$$



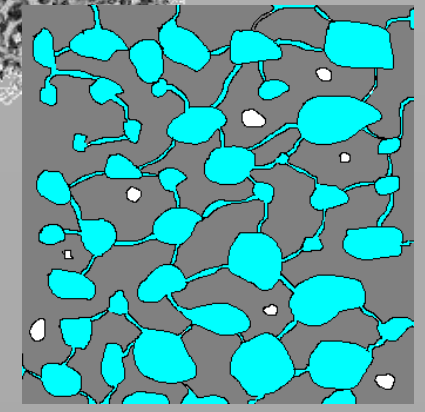
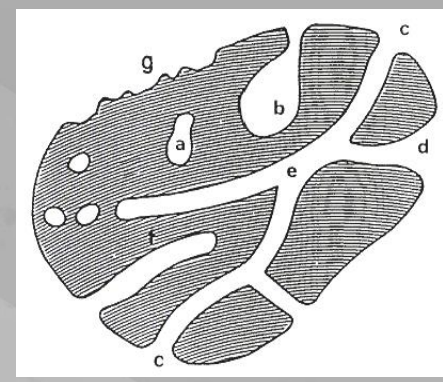
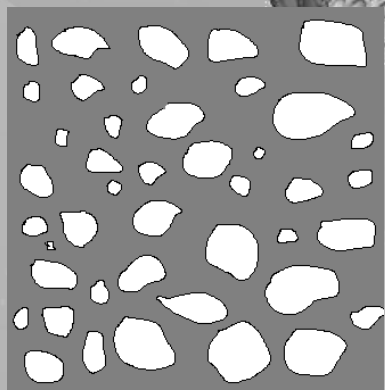
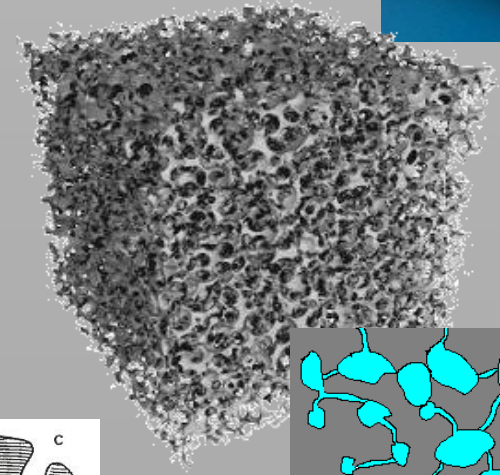
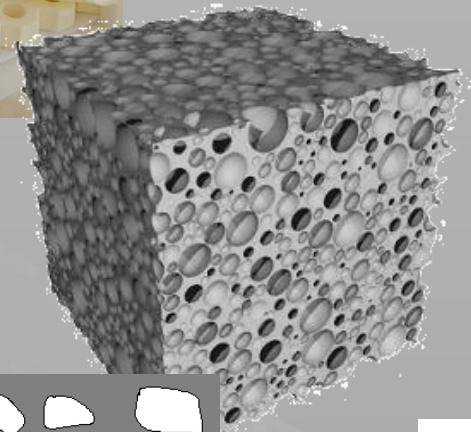
- usually expressed as a percentage



Types of pores



- closed
- open



$$\rho = \rho_{\text{closed}} + \rho_{\text{open}}$$

Properties related to porosity

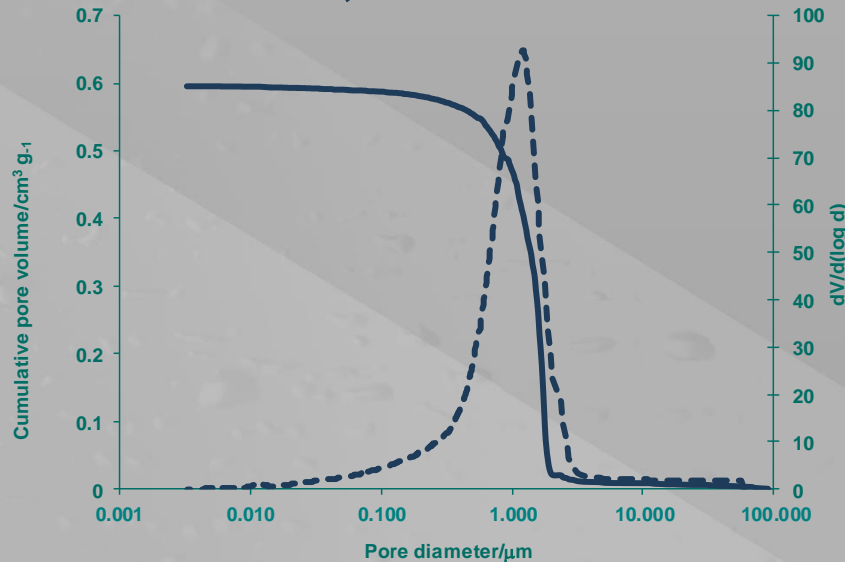
- Water absorption → frost resistance
- Gas and liquid transport
- Acoustic absorptivity
- Thermal conductivity
- Mechanical properties - strength



Pore size distribution

Mercury porosimetry

- the intrusion of a mercury at high pressure into a pores
- the pressure needed to fill the pores increases with decreasing pore diameters
- 400 MPa \rightarrow $\text{\O}1,5 \text{ nm}$



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Properties of loose materials

Loose material = solid material divided into many small particles

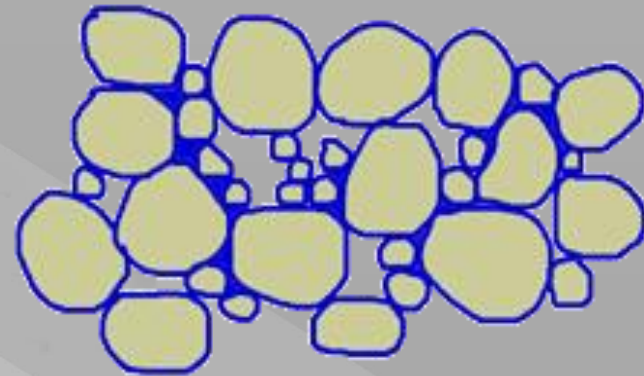
- an assembly of solid particles that is large enough for the statistical mean of any property to be independent of the number of particles





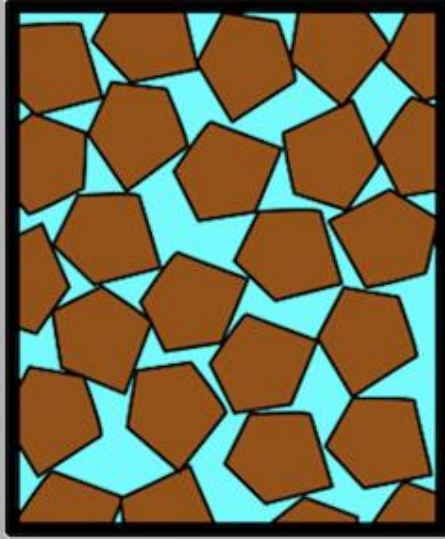
Void ratio

- volume of voids (between particles of a loose material) and the total volume
- the amount of void space depends on gradation, particle shape and texture, and compactness (rate of compaction)

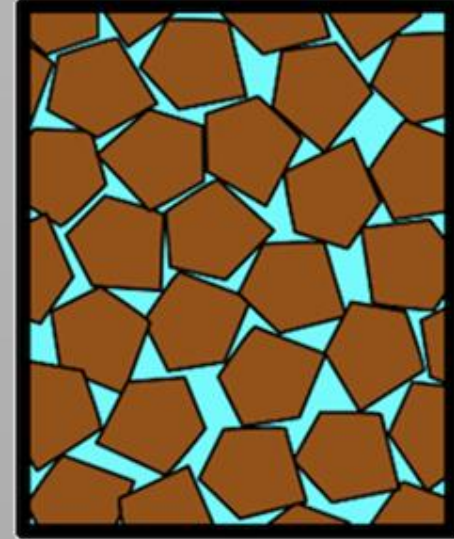




Compacting



Uncompacted material
- the volume of voids
in an uncompacted
(unconsolidated)
material



Compacted material -
the volume of voids in
a fully/partially
compacted (f/p
consolidated) material

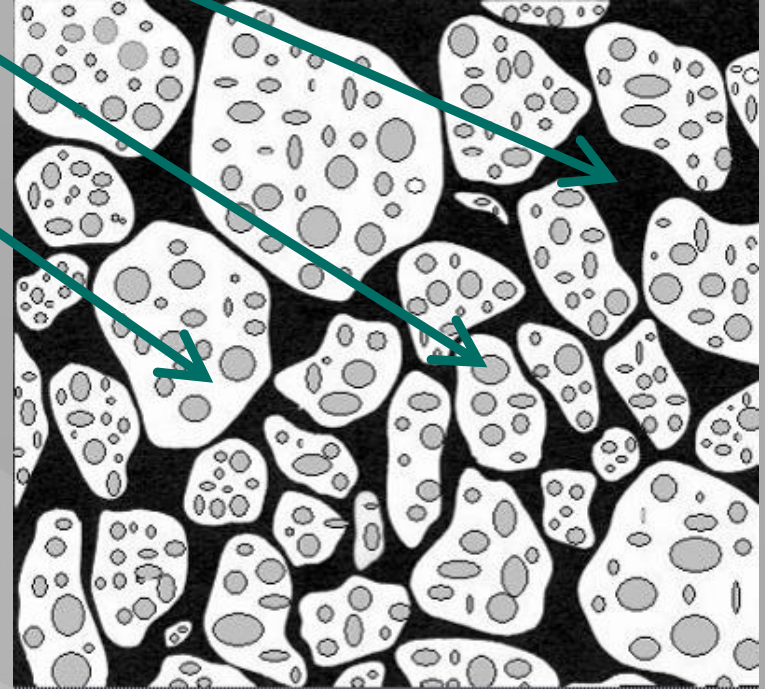




Loose (bulk) density

$$\rho_L = \frac{m}{V_S + V_P + V_V}$$

- in the unconsolidated state
- in the consolidated state (compacted)





Loose (bulk) density determination

- Standard container (volume according maximum particle size) + tamping rod

Procedure:

- **Loose weight:**
 - fill the container
 - struck off the surplus
- **Compact weight:**
 - fill the container in equal layers
 - each layer being subjected to strokes with the tamping rod
 - struck off the surplus





Aggregates

- granular material used in construction
- inorganic rocklike material
- various sizes and shapes
- particle size < 125 mm





Size, gradation

Gradation = the particle size distribution

- amount of various particle sizes present in an aggregate
 - determined by sieve analysis
 - expressed as the percentage by mass passing a specified set of sieves





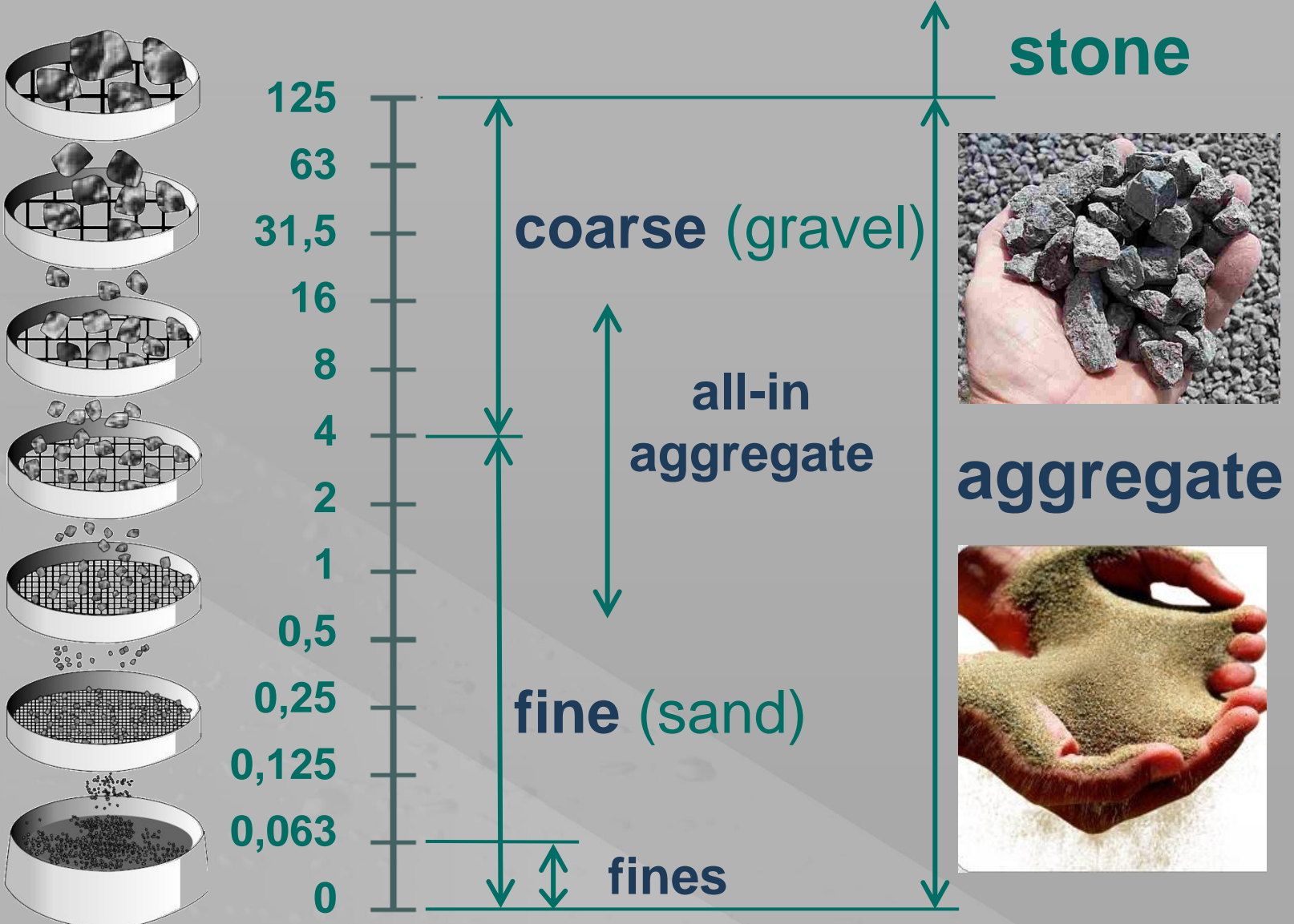
Standard sieves (EN 933-2)

- 125 mm
- 63 mm
- 31,5 mm
- 16 mm
- 8 mm
- 4 mm
- 2 mm
- 1mm
- 0,500 mm
- 0250 mm
- 0,125 mm
- 0,063 mm





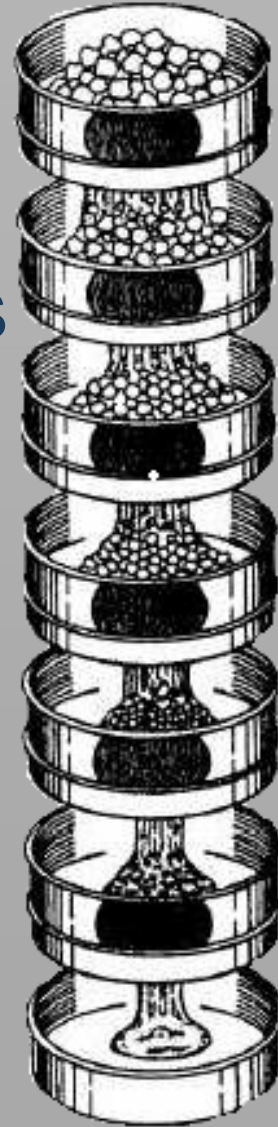
Type of aggregates according size





Sieve analysis

- dividing up a material into size fractions by passing it through sieves with decreasing apertures





Aggregate size (fraction) (EN 933-1)

- designation of aggregate in terms of **lower** (d) and **upper** (D) sieve sizes expressed as d/D^*
 - 16/64 aggregate will be that aggregate which passes the 64 mm sieve and is retained on the 16 mm sieve
- * this designation accepts the presence of some particles which are retained on the upper sieve (**oversize**) and some which pass the lower sieve (**undersize**)



Sieve analysis - definitions

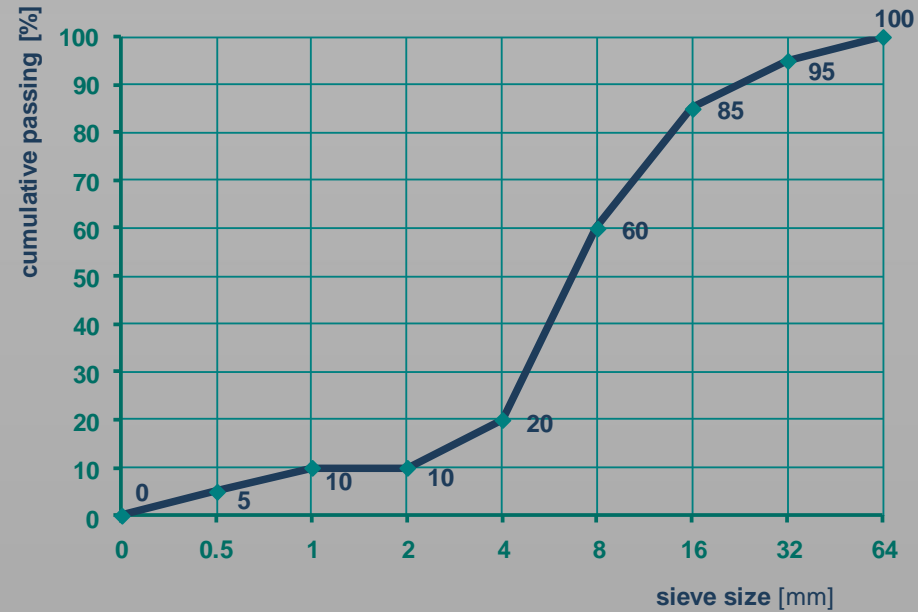
- **Individual retained** – the mass or percentage retained on one sieve after test
- **Cumulative retained** – sum of the mass or percentages retained on the sieve and on all coarser sieves
- **Cumulative passing** – sum of the mass or percentage passing the sieve (e.g. sum of the retained on all finer sieves and pan)





Particle size distribution curve

- graphical listing of the amount of particles according to particle size ranges
- continuous line
 - axe X – **sieve size** (particle size)
 - axe Y – **cumulative passing** (percent passing by weight)





Example:

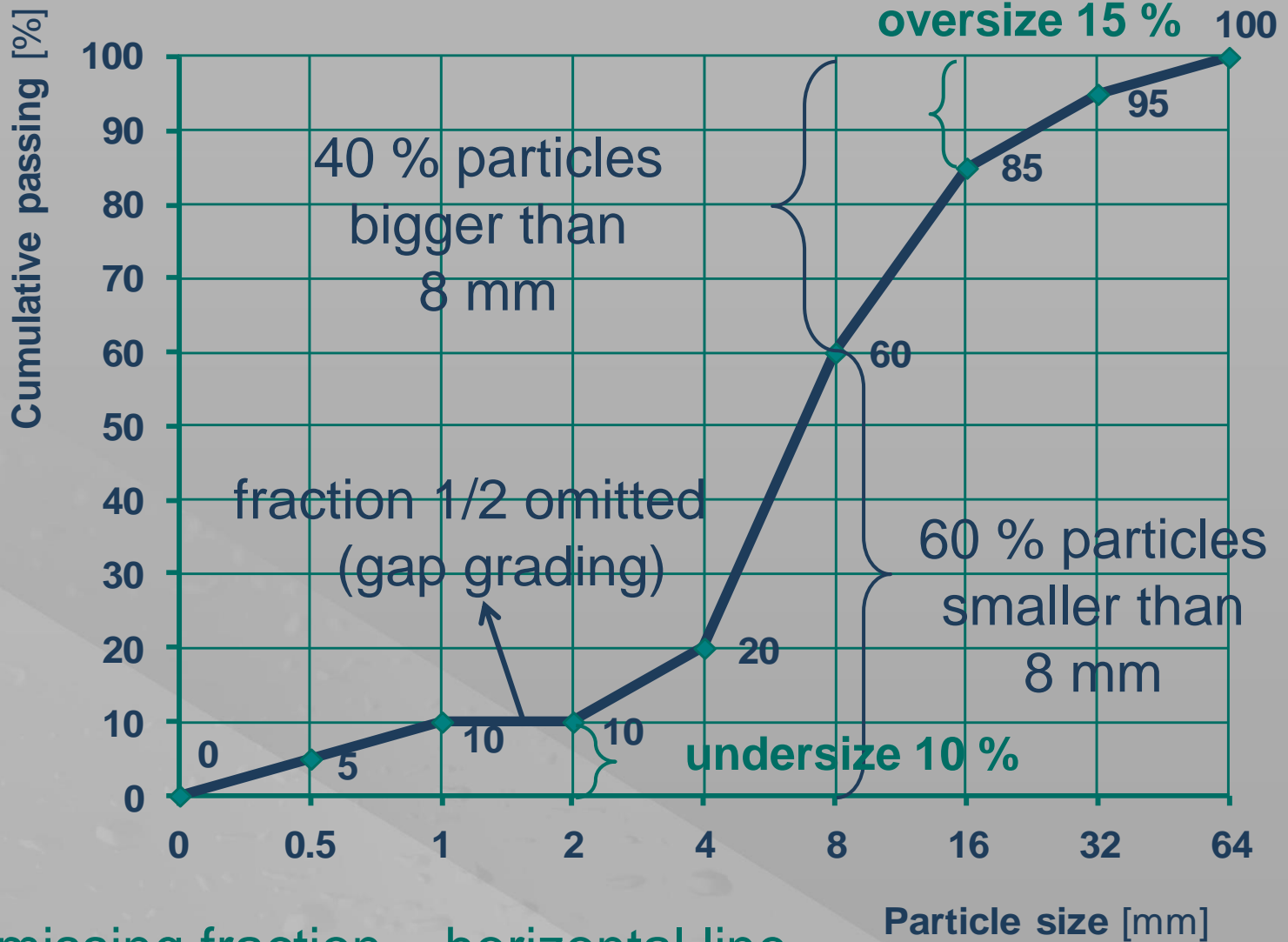
Aggregate, fraction 2/16 - 1000 g

- After sieve analysis these retained were obtained:

Sieve aperture size	Individual retained		Cumulative retained	Cumul. passing
	g	%		
64	0	0	0	100
32	50	5	5	95
16	100	10	15	85
8	250	25	40	60
4	400	40	80	20
2	100	10	90	10
1	0	0	90	10
0,5	50	5	95	5
< 0,5 (pan)	50	5	100	0



Particle size distribution curve

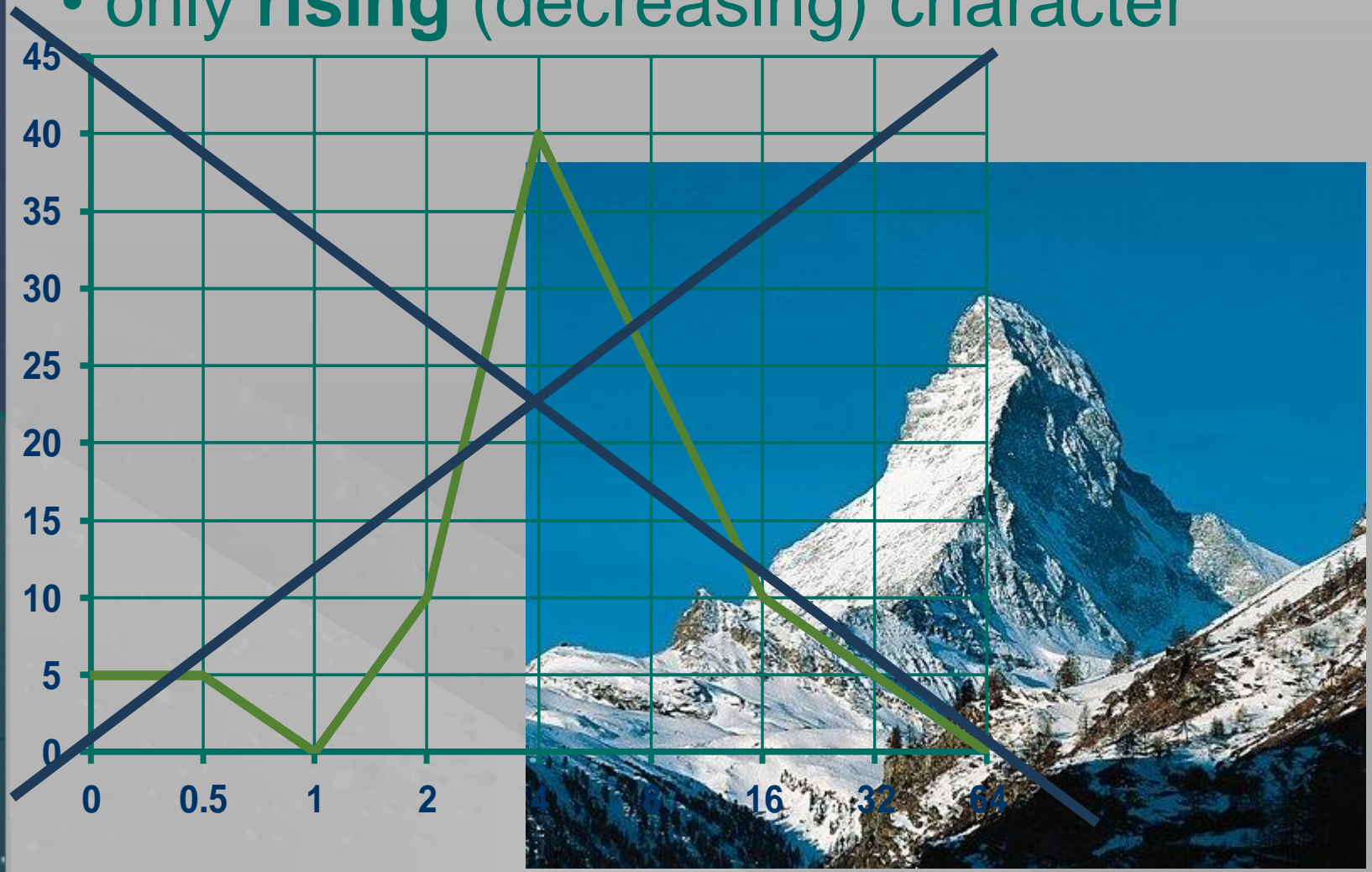


- missing fraction – horizontal line
- vertical line – never!



Particle size distribution curve

- only rising (decreasing) character





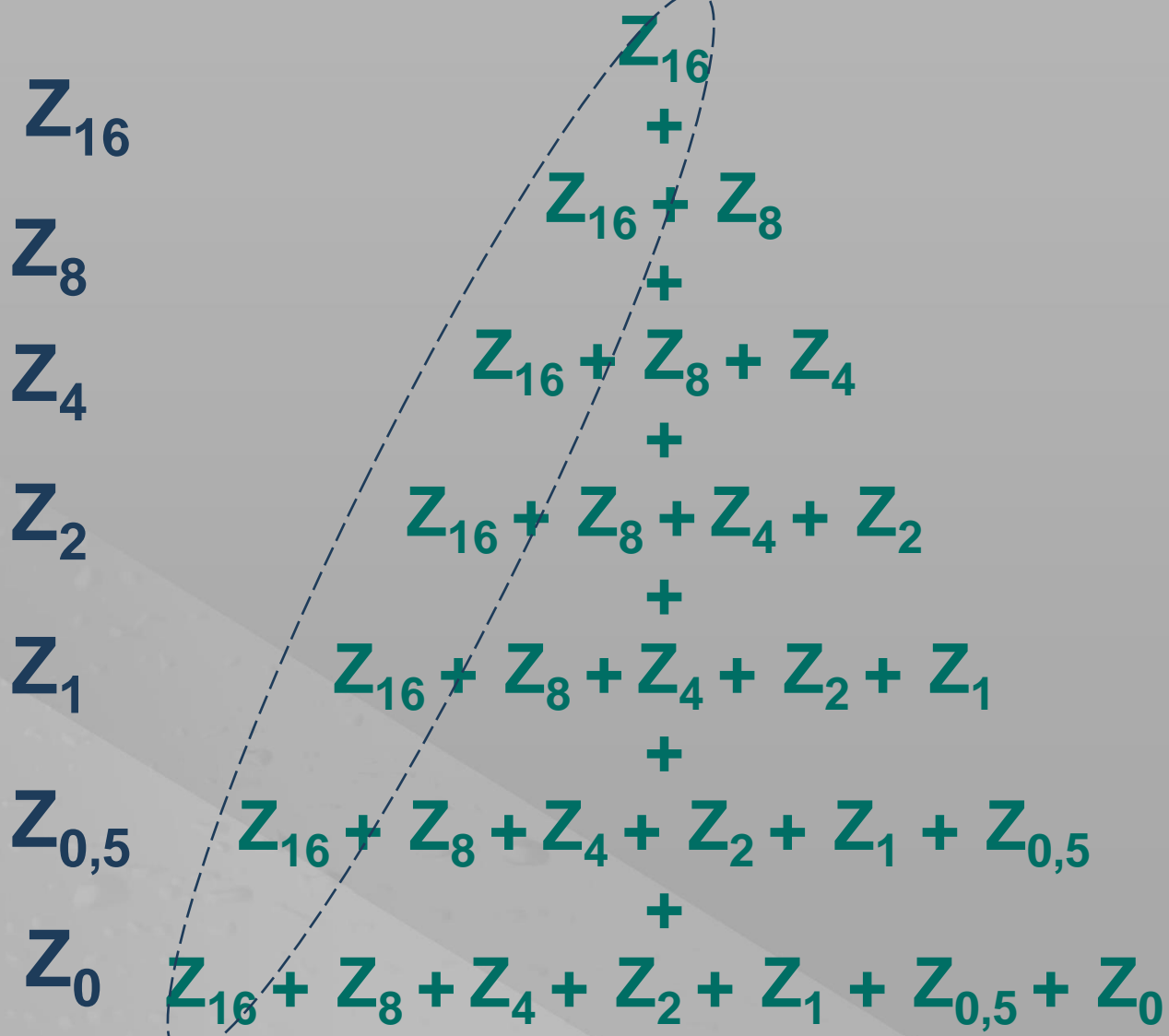
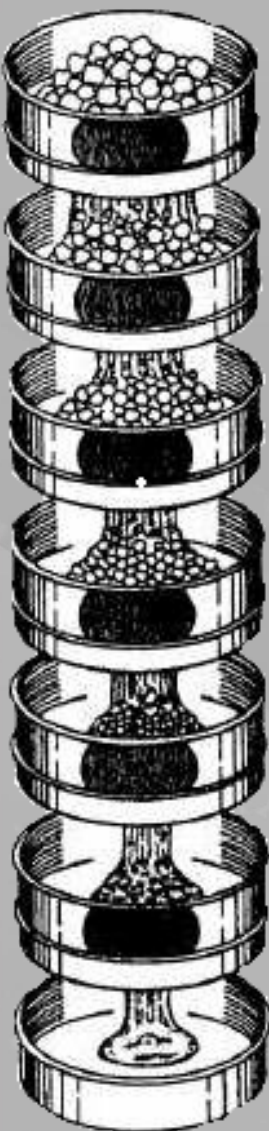
Fineness modulus

- to determining the degree of uniformity of the aggregate gradation
- **single number**
- obtained by adding the total percentages of material in a sample that are coarser than each of a specified series of sieves (cumulative percentages retained) and dividing the sum by 100.

$$FM = \frac{\sum \text{cumulative retained on specified sieves [\%]}}{100 \%}$$



$$FM = \frac{\sum \text{cumulative retained on specified sieves} [\%]}{100 \%}$$





Fineness modulus EN 12620

Specified sieves: 4 - 2 - 1 - 0,5 - 0,25 - 0,125

$$FM = \frac{\sum[(\%)4) + (\%)2) + (\%)1) + (\%)0,5) + (\%)0,25) + (\%)0,125)]}{100}$$

$$1 < FM < 6$$

- the bigger FM is, the coarser is aggregate



Fines

- = particle size fraction which passes the 0.063 mm sieve
- several **methods for determining** (washing, sand equivalent test, methylene blue test, air jet sieving)
- maximum value:
 - fine aggregate < **3 %**
 - coarse aggregate < **1.5 %**
- higher content of fines:
 - higher consumption of cement
 - lower strength



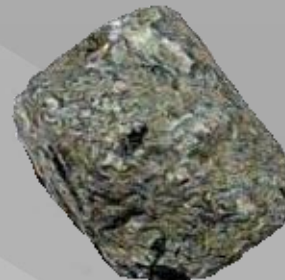
Shape and texture of particles

Particles:

- **shape** – rounded, angular, elongated, flat



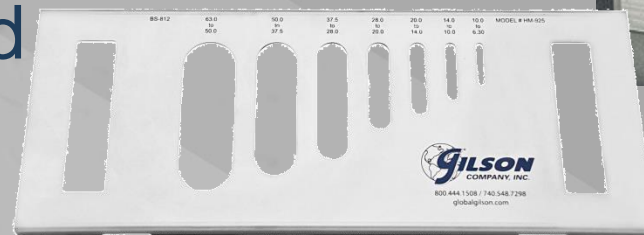
- **surface** – smooth, rough (abraded)





Flakiness index (EN 933-3)

- particles are **flaky (flat)** when their thickness is less than 0.6 of their mean size
- special sieves with elongated apertures
- **the flakiness index** - the weight of the flakey aggregate as a percentage of the aggregate tested





Shape index (EN 933-4)

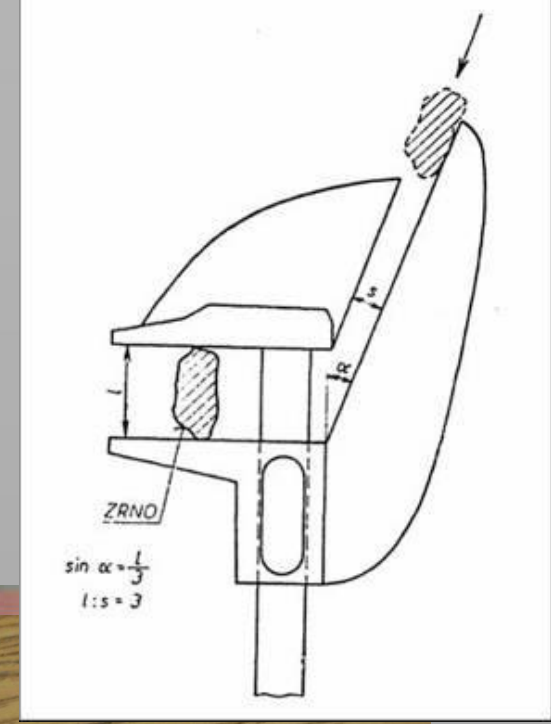
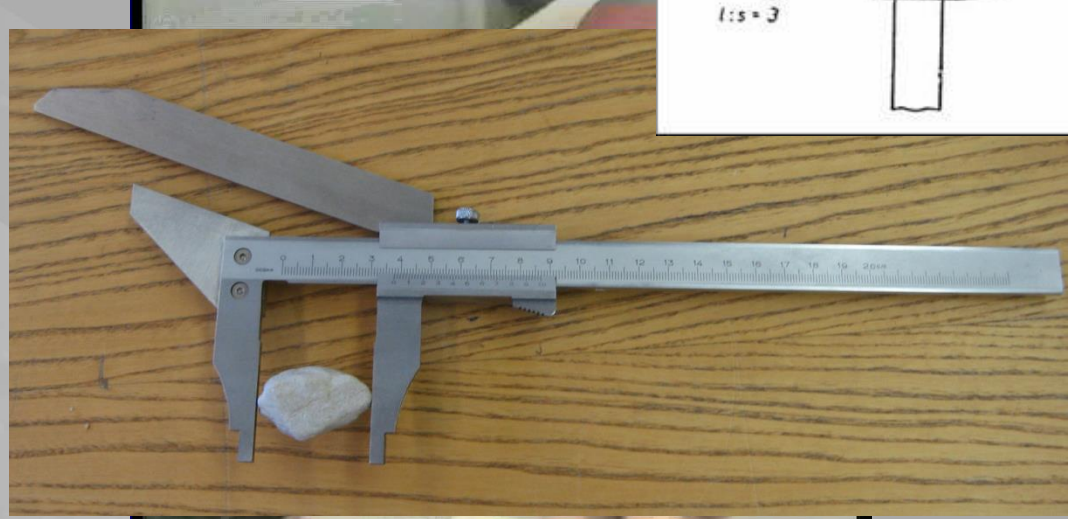
- a ratio between the weight of particles with $L/E > 3$ and weight of all measured particles in percents.
 - **shape ratio L/E** – the length L and the thickness E of each particle
 - **$L/E > 3$** – non-cubic particles

- elongation index





Shape ratio L/E



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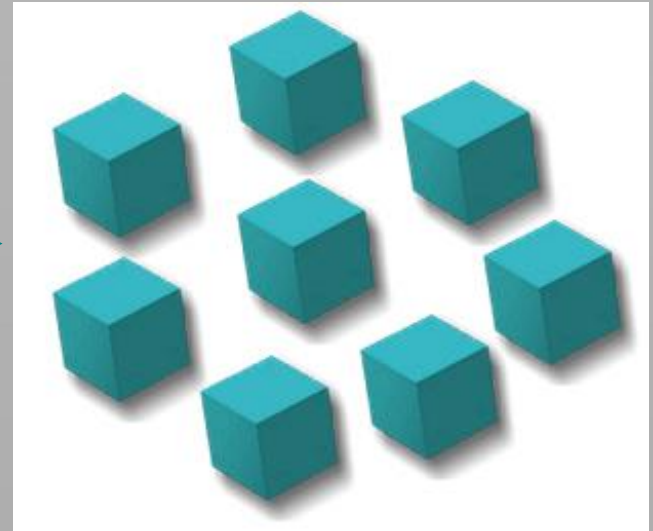
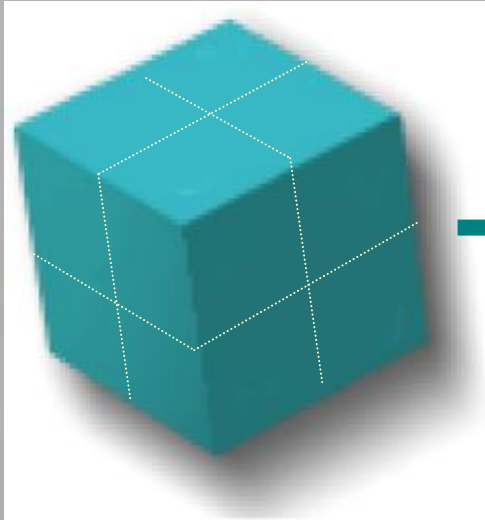
Specific surface



- describes fineness
- total surface area per unit of mass
- units: m^2/kg (cm^2/g)
- the higher the specific surface is, the finer material will be



Specific surface



cube 2 x 2 x 2 cm
each face is 4 cm²

$$6 \text{ faces} \times 4 \text{ m}^2 = 24 \text{ cm}^2$$

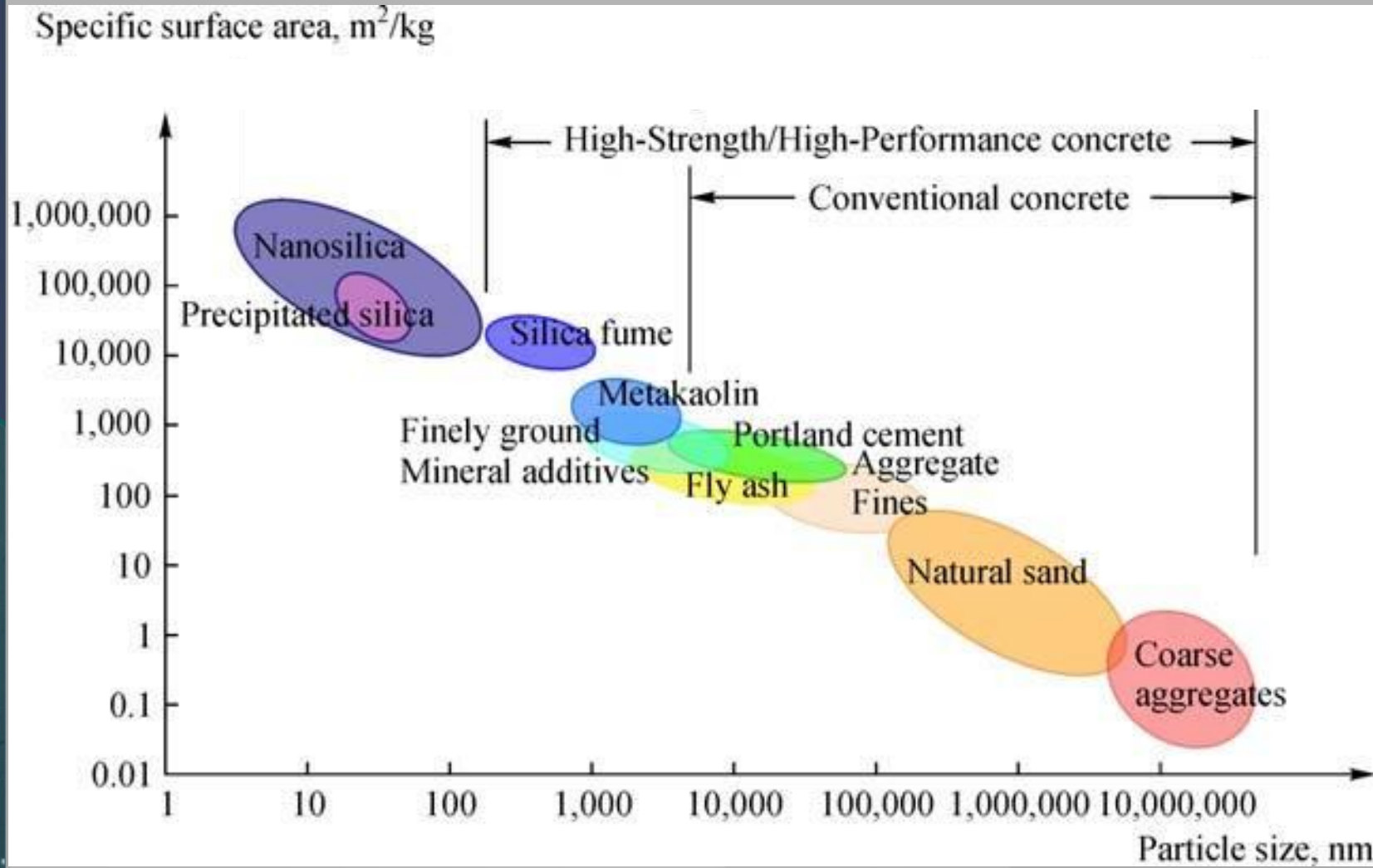
8 cubes 1 x 1 x 1 cm
each face is 1 cm²

$$6 \text{ faces} \times 1 \text{ m}^2 \times 8 \text{ cubes} = 48 \text{ cm}^2$$

- if each of the resulting cubes was divided similarly, the surface area would increase 16 times more



Specific surface of some materials





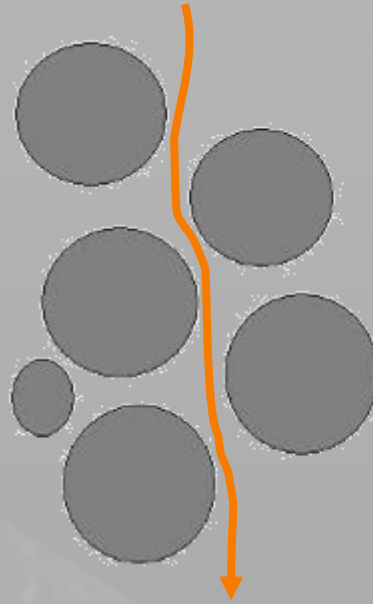
Specific surface determination

- (sieving)
- gas permeability
 - air permeability (Blaine method)
 - used for cement
- gas adsorption
 - „BET“ method
 - the physical adsorption of gas molecules on a solid surface

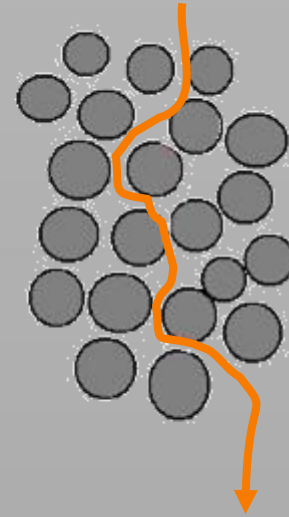




Air permeability method



Coarse material



Fine material

- the specific surface is derived from the resistance to flow of air through a porous bed of the powder



Blain apparatus





Blain apparatus

Ermittlung der spezifischen Oberfläche von Zement

Determining the specific surface area of cement

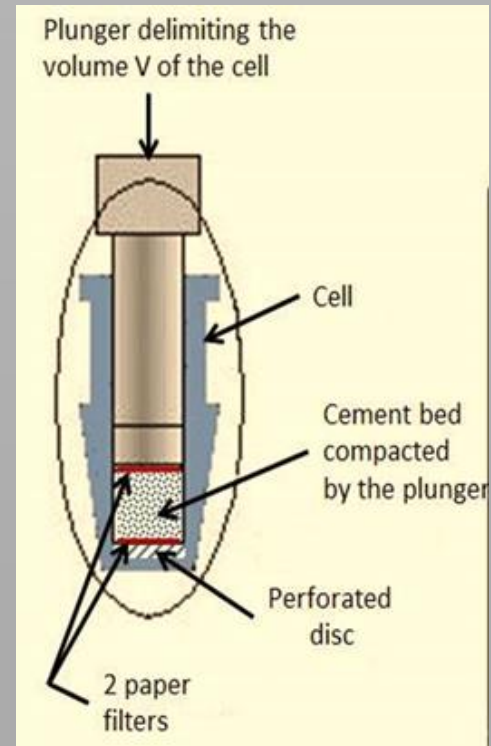




Specific surface calculation

$$S = \frac{K}{\rho} \times \frac{\sqrt{e^3}}{(1 - e)} \times \frac{\sqrt{t}}{\sqrt{0,1\eta}}$$

- **K** apparatus constant
- **e** porosity of the bed (usually $e = 0,500$)
- **t** measured time [s]
- **ρ** cement density [g.cm^{-3}]
- **η** air viscosity at the test temperature [Pa.s]





Apparatus calibration

- apparatus must be calibrated, using a known standard material

$$K = S_0 \times \rho_0 \times \frac{(1 - e)}{\sqrt{e^3}} \times \frac{\sqrt{0,1\eta_0}}{\sqrt{t_0}}$$



- S_0 specific surface of the reference cement [$\text{cm}^2.\text{g}^{-1}$]
- ρ_0 density of the reference cement [$\text{g}.\text{cm}^{-3}$]
- t_0 measured time [s]
- η_0 air viscosity at the test temperature [Pa.s]



Fineness of grinding

- cements and similar materials
- described by the specific surface
- finer cement offers a greater surface area for hydration and hence faster the development of strength
- specific surface of common cements:

250 – 350 m²/ kg

(2500 - 3500 cm²/g)



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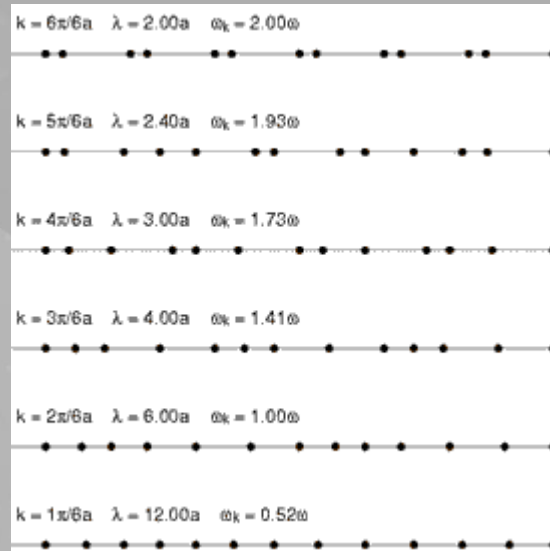


Mechanical properties



Solid materials

- structural rigidity
- resistance to changes of shape or volume
- atoms are tightly bound to each other



Atomic vibration in crystalline solid



Mechanical properties

- material's behavior when force is applied
- characteristics such as the strength and resistance to deformation





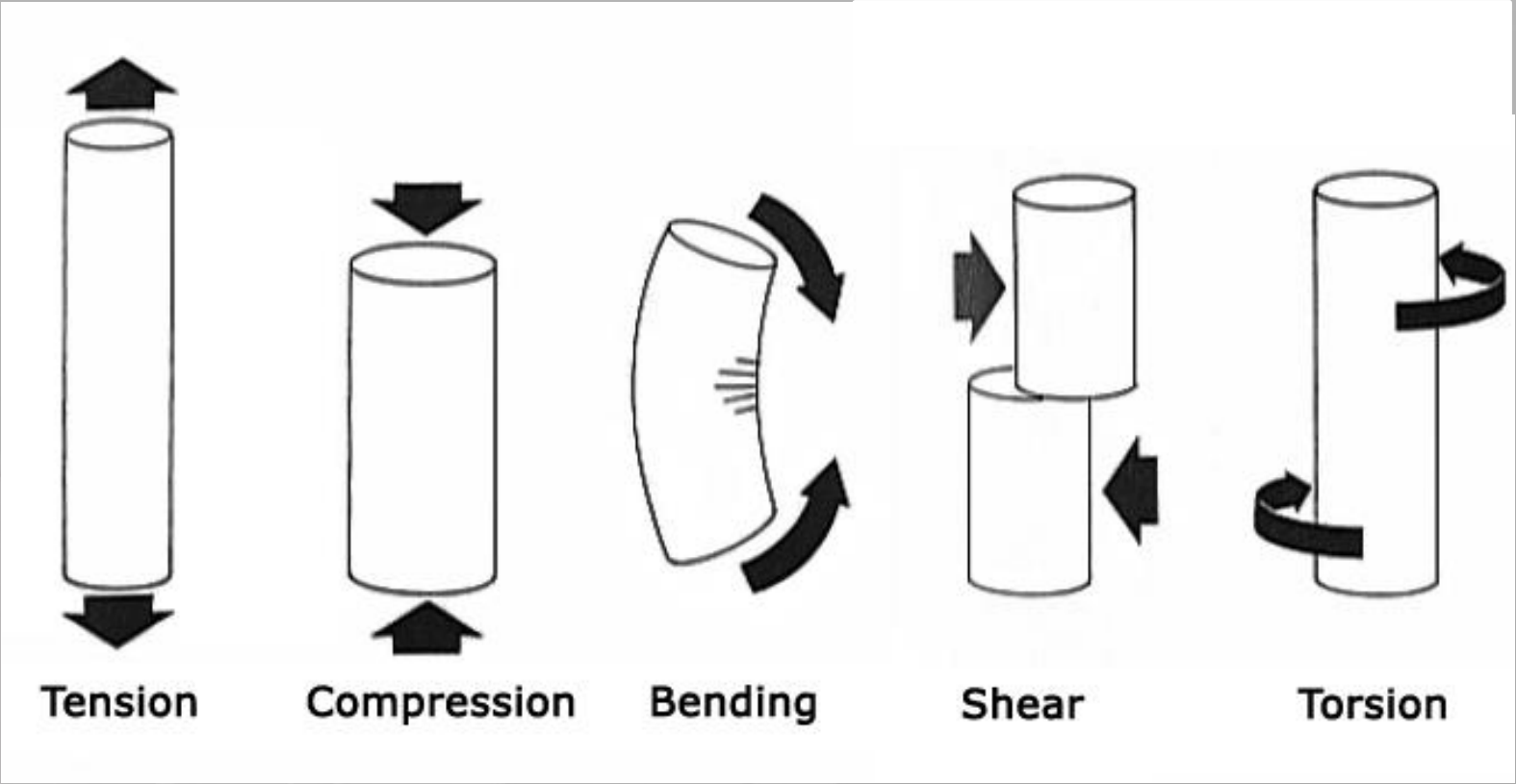
Mechanical properties

- **deformation properties** (before destruction)
- **strength properties** (at the moment of break)





Type of loading





Force x Stress

- **stress** is a measure of the **internal forces** which are a reaction to **external forces**

Force $F \neq$ stress σ

$[N] \neq [Pa]$



Isaac Newton

\neq



Blaise Pascal



Compressive stress

$$\sigma = \frac{F}{S}$$



$$S = 0,005 \times 0,005 \\ = 0,000025 \text{ m}^2$$



Units of stress

SI units: Pascal

$$\text{Pa} = \frac{\text{N}}{\text{m}^2}$$

$$\text{MPa} = \frac{\text{N}}{\text{mm}^2}$$

Imperial units: pound-force per square inch

$$\text{psi} = \frac{\text{lbf}}{\text{in}^2}$$

$$\text{ksi} = 1000 \cdot \text{psi}$$

$$1 \text{ psi} = 6\,894,76 \text{ Pa}$$



Strength properties





Strength

- ability to withstand an applied load without failure
- the **maximum stress** sustained by a material loaded to failure





Strength

According the way of obtaining:

- **theoretical** (structural)
- **technical**
- **statistical**

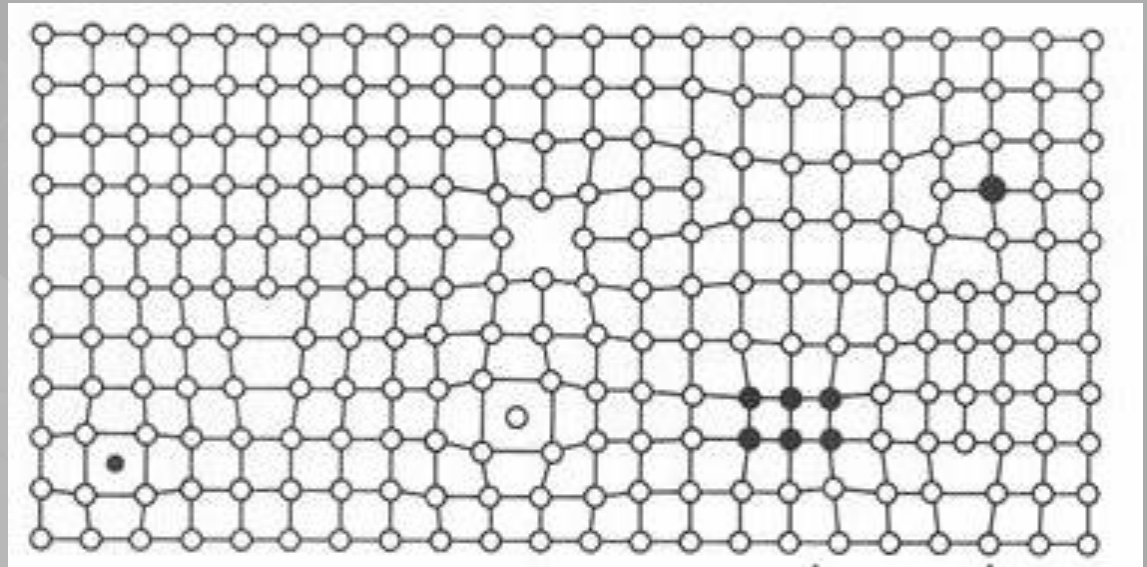


Theoretical strength

- Counted from the number and strength of the bonds between atoms

X

- defects in the crystal lattice – real strength is distinctively lower (ca 1000x)





Technical strength

- from the testing of the real material sample
 - material have to be homogenous
 - test samples in the appropriate shape (cylinder strength, cubic strength...)



Test samples

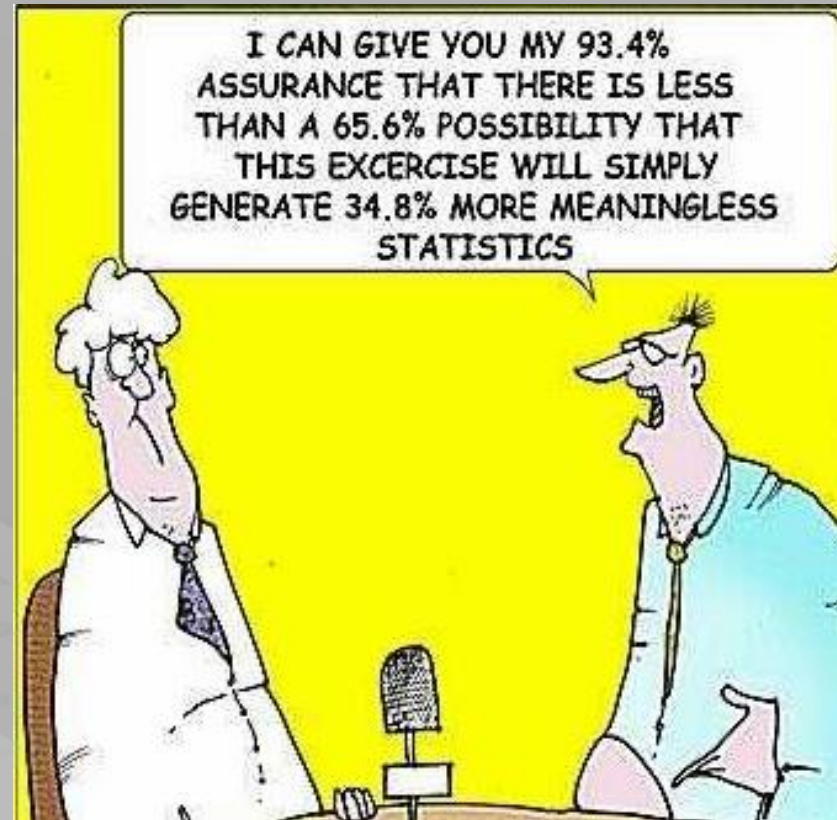
- shaping from the material
 - cutting, carving, drilling
- directly made in the required shape
 - cubes, cylinders..
- whole products
 - bricks, blocks





Statistical strength

- from the single samples properties the property of the whole population can be estimated by the **statistical methods**





Statistics



„ The only statistics you can trust are those you falsified yourself.“

attributed to *Winston Churchill*



Statistics - terminology

- **Random experiment** - any experiment of which result cannot be precisely predicted
- **Population** – representative sample of larger group of individuals with one or more characteristics in common
- **Random sample** - a small random portion of the entire population selected in such a way that every member of the sample has equal probability of being chosen



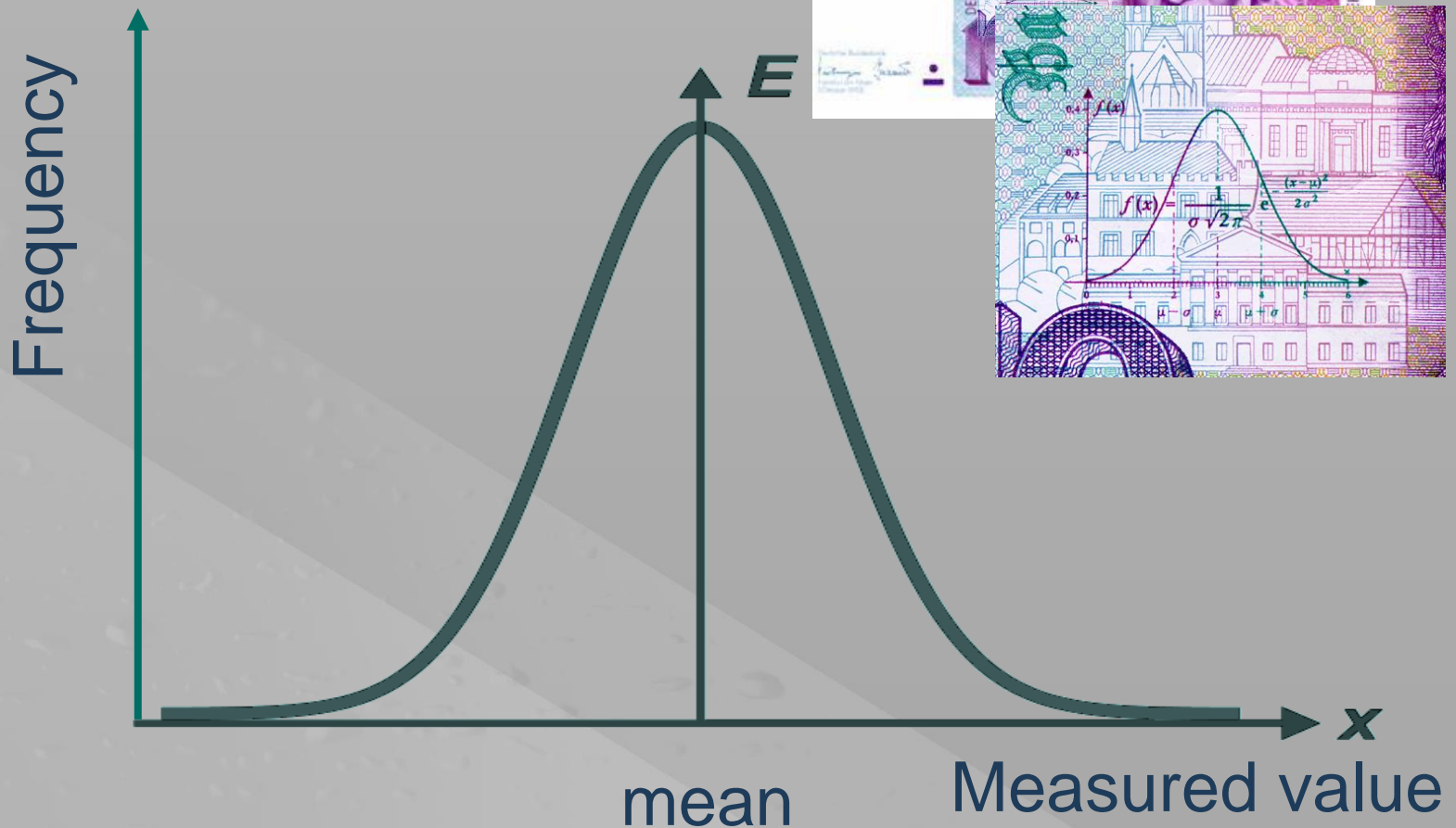
Statistical evaluation of strength

- Only part of the population is tested – **random sample**
- From the results of random sample can be estimated a corresponding parameter of the population
- Typical population has **normal distribution** (Gaussian function)



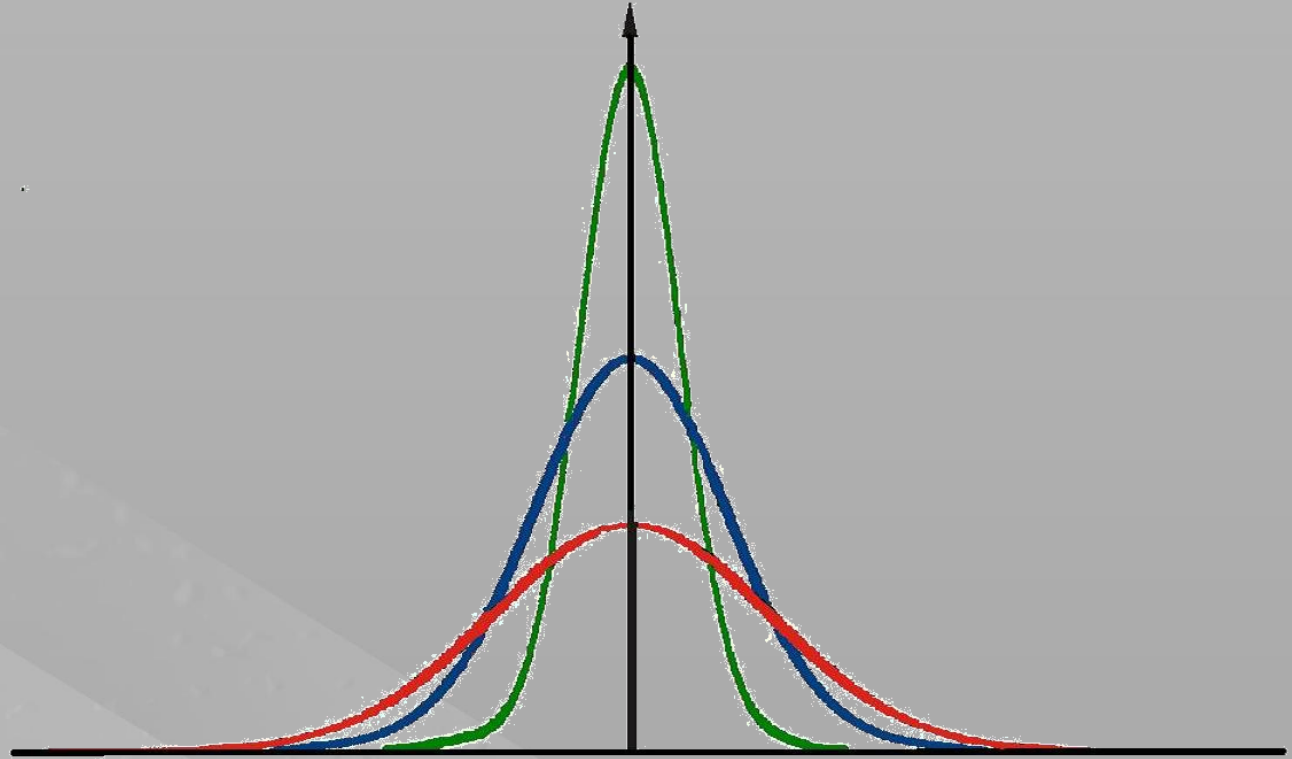
Normal distribution

- for the whole population





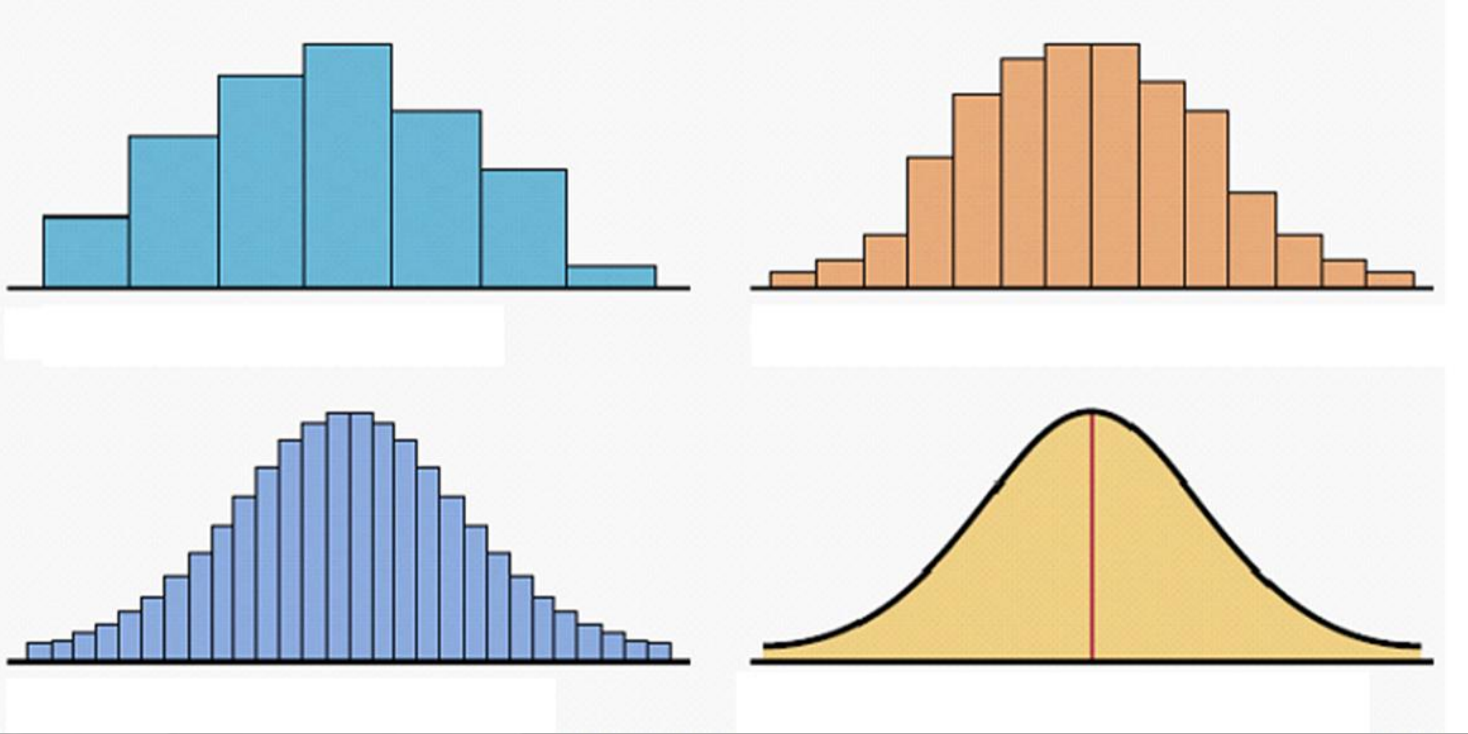
Gaussian curve



- the narrower and higher the curve is, the more statistically homogenous the data



Histogramme

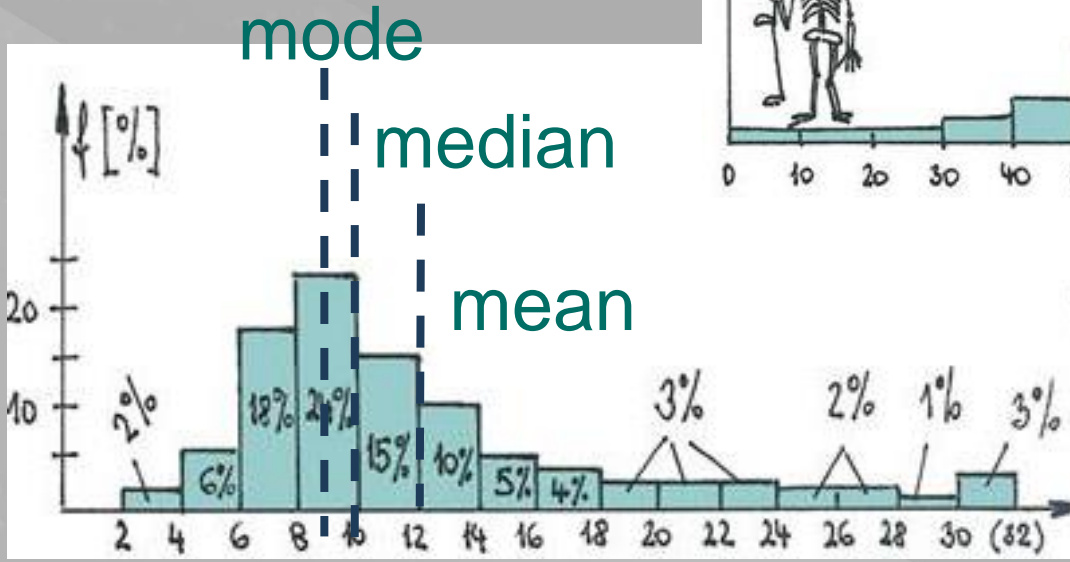
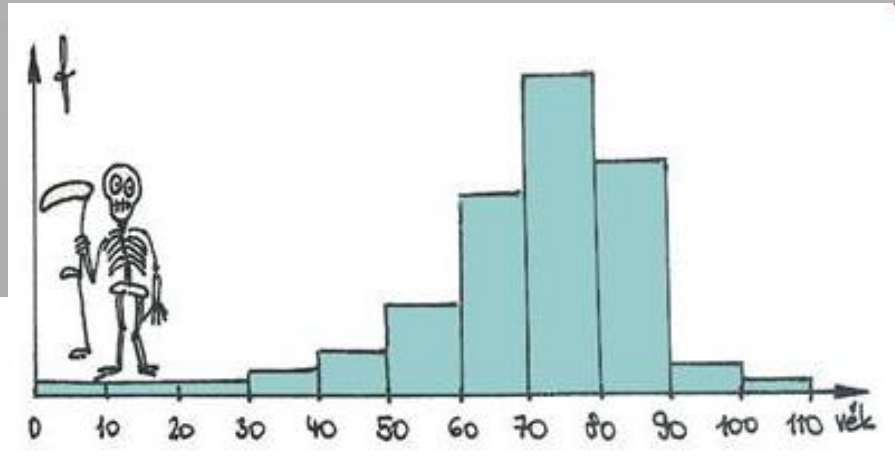
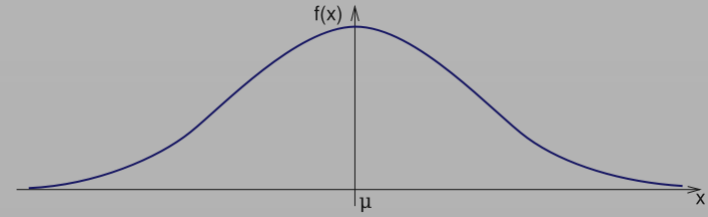


- from testing of random sample the distribution curve could not be made
- the more numerous the random sample is, the closer to the curve the histogram is



Normal and other distribution

- normal distribution
- non-symmetrical



wage

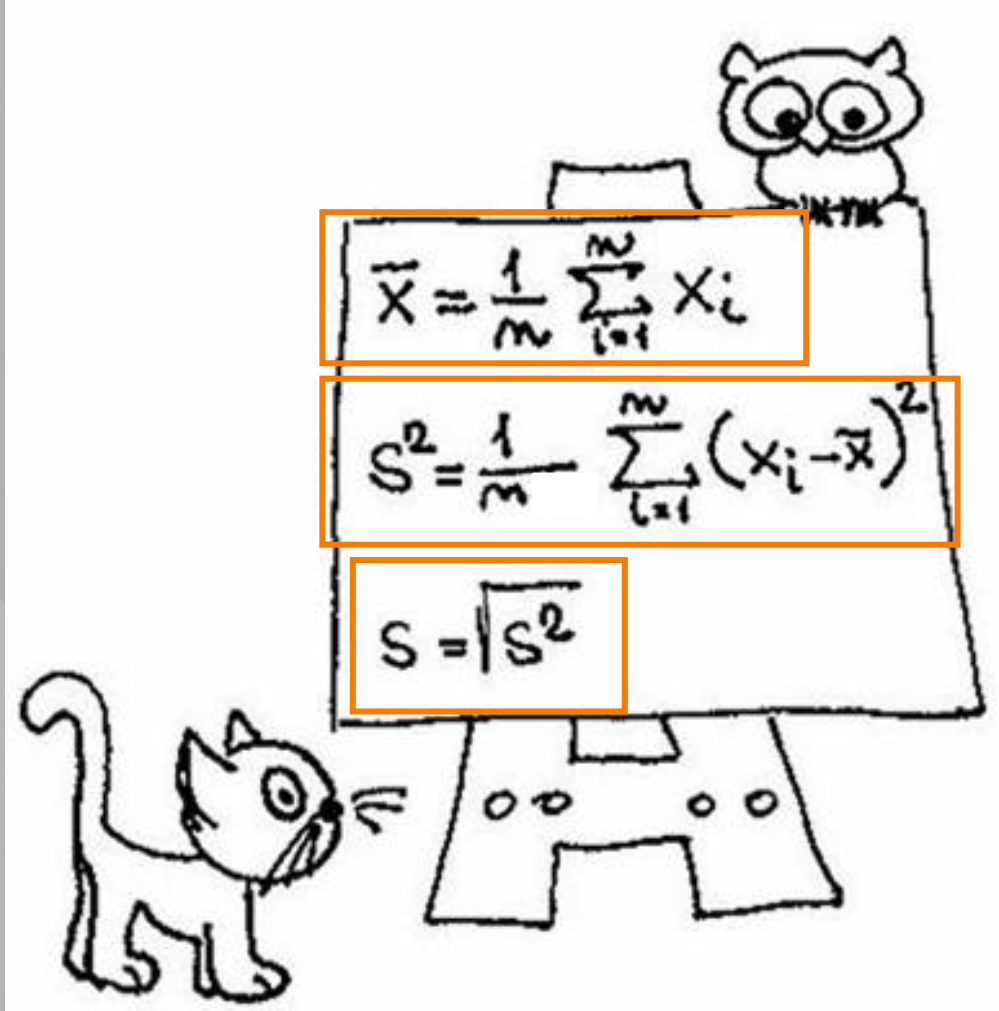


Statistical parameters

Values:	4, 8, 6	2, 5, 11
<ul style="list-style-type: none">Mean	$\bar{x} = 6$	$\bar{x} = 6$
Deviations	-2, +2, 0	-4, -1, +5
Sum of deviations	0	0
Deviations square	4, 4, 0	16, 1, 25
Sum of squares	8	42
<ul style="list-style-type: none">Variance	2.67	14
<ul style="list-style-type: none">Standard deviation	1.63	3.74



Statistical parameters



mean

variance

standard
deviation



Standard deviation s

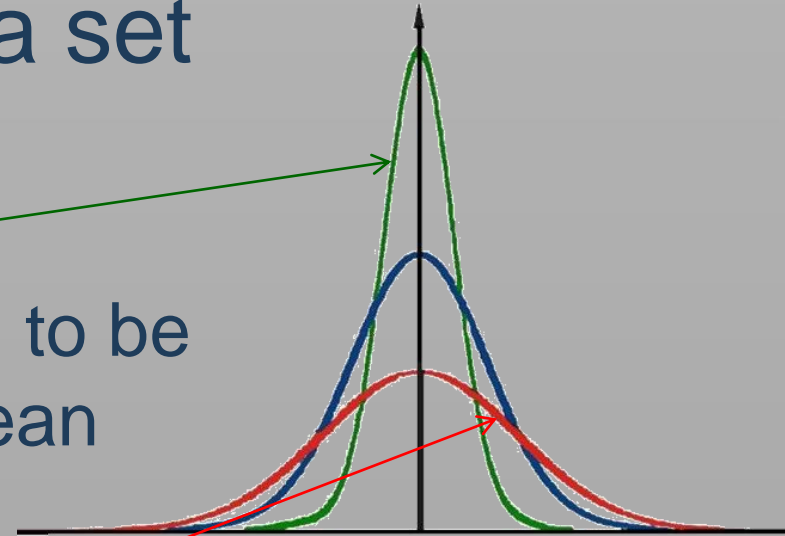
- measure of variability or diversity of a data set

- low standard deviation

- the data points tend to be very close to the mean

- high standard deviation

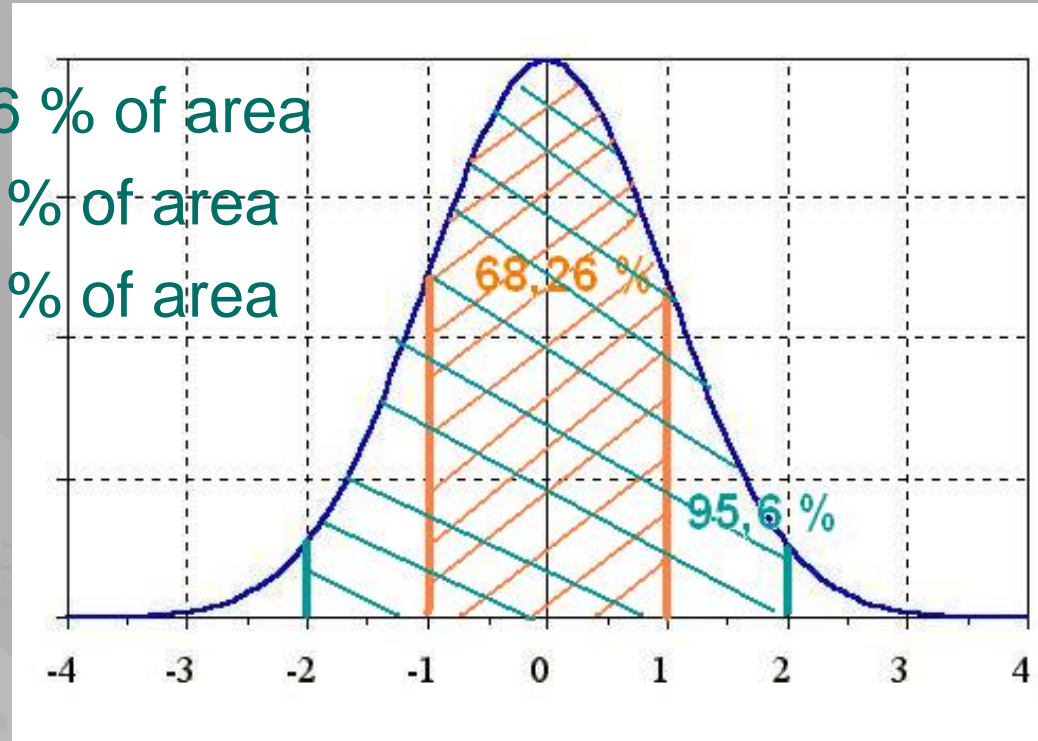
- the data points are spread out over a large range of values





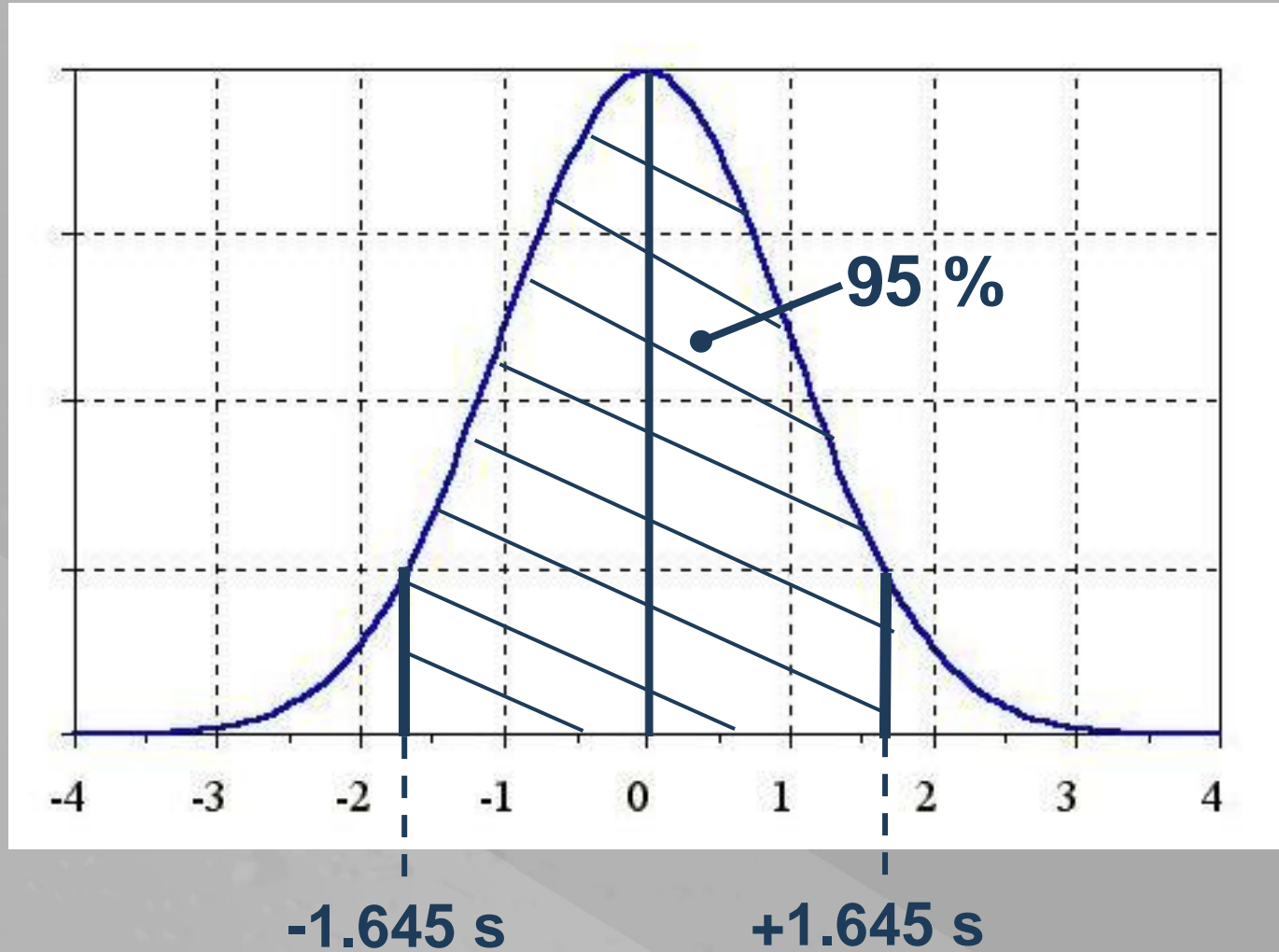
Normal distribution

- symmetrical
- +s to -s : 68.26 % of area
- +2s to -2s : 95.6 % of area
- +3s to -3s : 99.7 % of area





Guaranteed value





Guaranteed strength

- the value of the strength, for which can be statistically guaranteed, that 95 % of whole production will have the same or higher value of the strength

